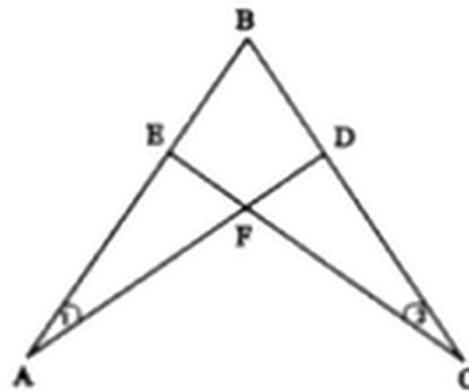


Exercise 10.1

Q1. In the given figure, $AB \cong CB$, $\angle 1 \cong \angle 2$. Prove that $\triangle ABD \cong \triangle CBE$.

Solution:



Given:

In the given figure $\angle 1 \cong \angle 2$ and $\overline{AB} \cong \overline{CB}$

To prove:

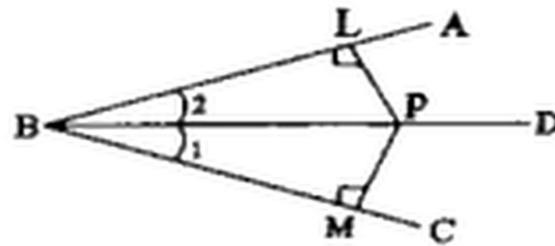
$\triangle ABD \cong \triangle CBE$

Proof:

Statements	Reasons
In $\triangle ABD \leftrightarrow \triangle CBE$	
$AB \cong CB$	Given
$\angle BAD \cong \angle BCE$	Given $\angle 1 \cong \angle 2$
$\angle ABD \cong \angle CBE$	Common
$\therefore \triangle ABD \cong \triangle CBE$	S.A.A \cong S.A.A

Q2. From a point on the bisector of an angle, perpendiculars are drawn to the arms of the angle. Prove that these perpendiculars are equal in measure.

Solution:



Given:

\overline{BD} is bisector of $\angle ABC$. P is point on \overline{BD} and \overline{PL} and \overline{PM} are perpendicular to \overline{AB} and \overline{CB} respectively

To prove:

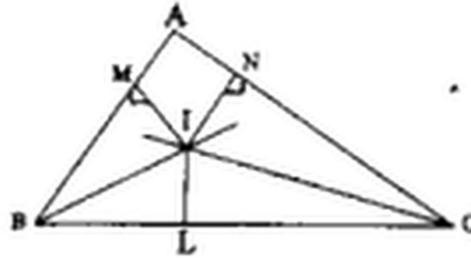
$$\overline{PL} \cong \overline{PM}$$

Proof:

Statements	Reasons
In $\triangle BLP \leftrightarrow \triangle BMP$	
$\overline{BP} \cong \overline{BP}$	Common
$\angle BLP \cong \angle BMP$	Each right angle (given)
$\angle LBP \cong \angle MBP$	Given BD is bisector of angle B
$\triangle BLP \cong \triangle BMP$	S.A.A \cong S. A. A.
So $\overline{PL} \cong \overline{PM}$	Corresponding sides of $\cong \Delta$'s.

Q3. In a triangle ABC, the bisectors of $\angle B$ and $\angle C$ meet in a point. Prove that I is equidistant from the three sides of $\triangle ABC$.

Solution:



Given:

In $\triangle ABC$ the bisector of $\angle B$ and $\angle C$ meet at I, IL, IM and IN are perpendiculars to the three sides of $\triangle ABC$.

To prove:

$$\overline{IL} \cong \overline{IM} \cong \overline{IN}$$

Proof:

Statements	Reasons
<p>In $\triangle ILB \leftrightarrow \triangle IMB$</p> <p>$\overline{BI} \overline{BI}$</p> <p>$\angle IBL \cong \angle IBM$</p> <p>$\angle ILB \cong \angle IMB$</p> <p>$\triangle ILB \cong \triangle IMB$</p> <p>$\overline{IL} \cong \overline{IM}$ (i)</p> <p>Similarly</p> <p>$\triangle INC \cong \triangle INB$</p> <p>So $\overline{IL} \cong \overline{IN}$ (ii)</p>	<p>Common</p> <p>Given BI is bisector of $\angle B$</p> <p>Given each \angle is right angles.</p> <p>S.A.A \cong S.A.A.</p> <p>Corresponding sides of $\cong \Delta s$.</p>

<p>From (i) and (ii)</p> $\overline{IL} \cong \overline{IM} \cong \overline{IN}$ <p>I is equidistant from the three sides of $\triangle ABC$.</p>	<p>Corresponding sides of $\cong \triangle s$.</p>
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